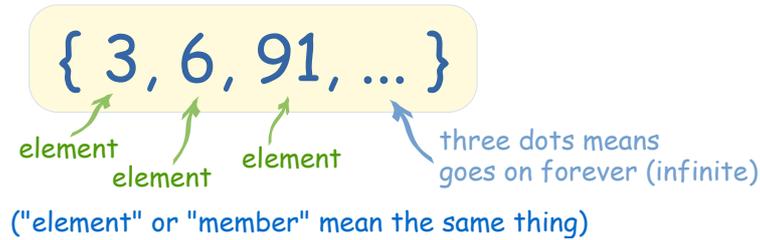


# Set Symbols

A **set** is a collection of things, usually numbers. We can list each element (or "member") of a set inside curly brackets like this:



## Common Symbols Used in Set Theory

Symbols save time and space when writing. Here are the most common set symbols

*In the examples  $C = \{1,2,3,4\}$  and  $D = \{3,4,5\}$*

Symbol	Meaning	Example
$\{ \}$	<b>Set</b> : a collection of elements	$\{1,2,3,4\}$
$A \cup B$	<b>Union</b> : in A or B (or both)	$C \cup D = \{1,2,3,4,5\}$
$A \cap B$	<b>Intersection</b> : in both A and B	$C \cap D = \{3,4\}$
$A \subseteq B$	Subset: A has some (or all) elements of B	$\{3,4,5\} \subseteq D$
$A \subset B$	Proper Subset: A has some elements of B	$\{3,5\} \subset D$
$A \not\subseteq B$	Not a Subset: A is not a subset of B	$\{1,6\} \not\subseteq C$
$A \supseteq B$	Superset: A has same elements as B, or more	$\{1,2,3\} \supseteq \{1,2,3\}$
$A \supset B$	Proper Superset: A has B's elements and more	$\{1,2,3,4\} \supset \{1,2,3\}$
$A \not\supseteq B$	Not a Superset: A is not a superset of B	$\{1,2,6\} \not\supseteq \{1,9\}$
$A^c$	<b>Complement</b> : elements not in A	$D^c = \{1,2,6,7\}$ When $\bigcup = \{1,2,3,4,5,6,7\}$
$A - B$	<b>Difference</b> : in A but not in B	$\{1,2,3,4\} - \{3,4\} = \{1,2\}$
$a \in A$	<b>Element</b> of: a is in A	$3 \in \{1,2,3,4\}$
$b \notin A$	Not element of: b is not in A	$6 \notin \{1,2,3,4\}$
$\emptyset$	<b>Empty set</b> = $\{ \}$	$\{1,2\} \cap \{3,4\} = \emptyset$
$\bigcup$	<b>Universal Set</b> : set of all possible values	

	(in the area of interest)	
<b>P(A)</b>	<u>Power Set</u> : all subsets of A	$P(\{1,2\}) = \{ \{\}, \{1\}, \{2\}, \{1,2\} \}$
$A = B$	Equality: both sets have the same members	$\{3,4,5\} = \{5,3,4\}$
$A \times B$	Cartesian Product (set of ordered pairs from A and B)	$\{1,2\} \times \{3,4\}$ $= \{(1,3), (1,4), (2,3), (2,4)\}$
$ A $	Cardinality: the number of elements of set A	$ \{3,4\}  = 2$
	<u>Such that</u>	$\{ n \mid n > 0 \} = \{1,2,3,\dots\}$
:	<u>Such that</u>	$\{ n : n > 0 \} = \{1,2,3,\dots\}$
$\forall$	For All	$\forall x > 1, x^2 > x$
$\exists$	There Exists	$\exists x \mid x^2 > x$
$\therefore$	Therefore	$a=b \therefore b=a$
$\mathbb{N}$	<u>Natural Numbers</u>	$\{1,2,3,\dots\}$ or $\{0,1,2,3,\dots\}$
$\mathbb{Z}$	<u>Integers</u>	$\{\dots, -3, -2, -1, 0, 1, 2, 3, \dots\}$
$\mathbb{Q}$	<u>Rational Numbers</u>	
$\mathbb{A}$	<u>Algebraic Numbers</u>	
$\mathbb{R}$	<u>Real Numbers</u>	
$\mathbb{I}$	<u>Imaginary Numbers</u>	$3i$
$\mathbb{C}$	<u>Complex Numbers</u>	$2 + 5i$